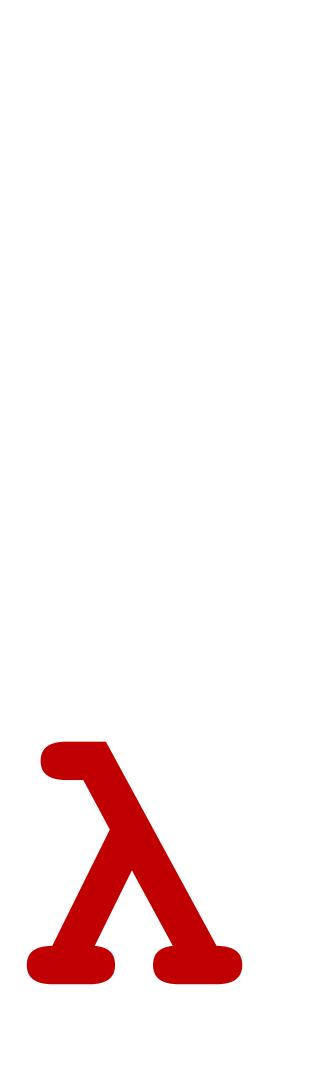
### CSCI 275: Programming Abstractions Lecture 07: Function Design - Part 2 Spring 2025

Stephen Checkoway, Oberlin College Slides gratefully borrowed from Molly Q Feldman



### **Questions?** Comments?



## Goals for Today's Class

- Local variables: let
- Environments: how do we store bindings?
- [If time] Tail Recursion, or how to be efficient

## we store bindings? or how to be efficient

Let

## **Storing Local Information** (let ([id1 s-exp1] [id2 s-exp2]...) body)

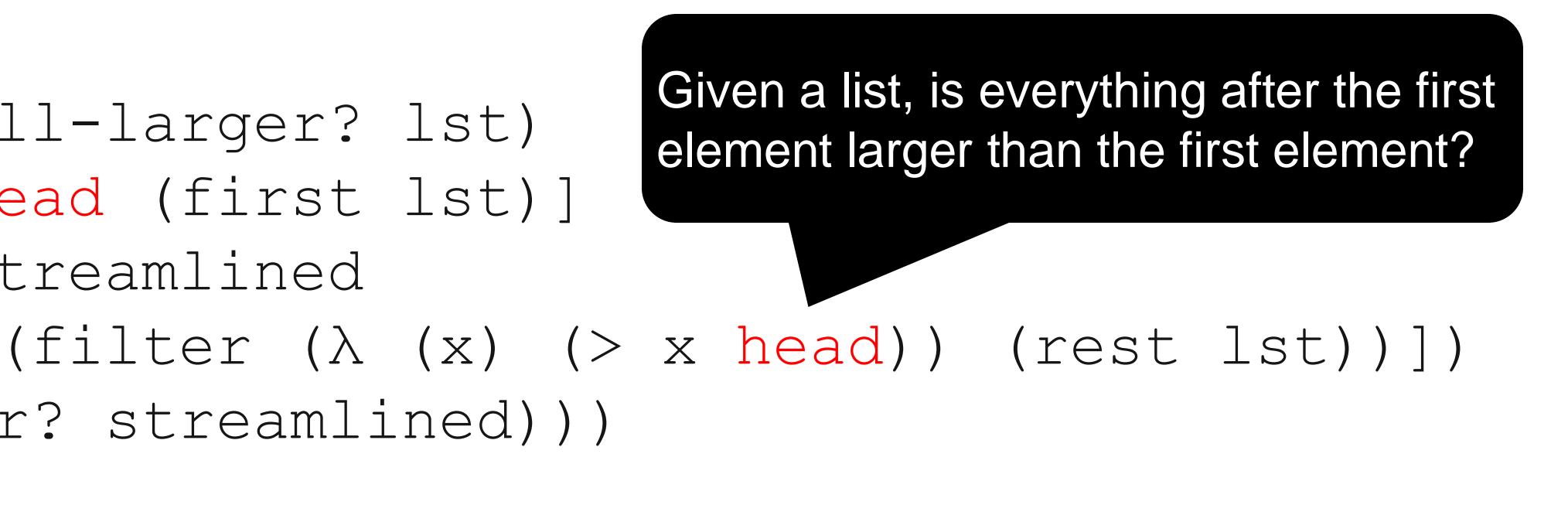
- let enables us to create some new bindings that are visible only inside body
- (let ([x 37] ; binds x to 37] [y (foo 42)]) ; binds y to the result of (foo 42) (if (< x y) (bar x) (bar y)))
- x and y are only bound inside the body of the let expression
- That is, the scope of the identifiers bound by let is body



### What happens when you want a binding in terms of an existing one?

When writing programs, it's not uncommon to define some local variables in terms of other local variables

(define (all-larger? lst) (let ([head (first lst)] [streamlined (pair? streamlined)))



### This doesn't work; we can't use head in the definition of streamlined

### The Fix? Sequential let (let\* ([id1 s-exp1] [id2 s-exp2]...) body)

Later s-exps can use earlier ids! Example: (let\* ([x 5] [y (foo x)] [z (+ x y)])(bar z y))

## Environments

### How we know what x means?

value that the variable is bound to

10

way to get the value of y (which is hopefully defined!)

Racket needs a way to look up values that correspond to variables: an **environment** 

- Recall that when Racket evaluates a variable, the result is the
- If we have  $(define \times 10)$ , then evaluating x gives us the value

- If we have (define (foo x) (- x y)), then evaluating foo gives us the procedure (lambda (x) (-x y)), along with a

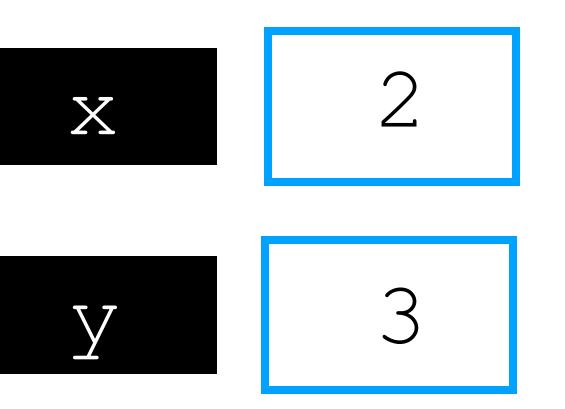




### **Environments: Examples**

### (let ([x 2] [y 3]) (+ x y))





### When we execute the following, what is the result?

# (let ([x 2] [y 3]) (let ([x 4]) (+ x y)))

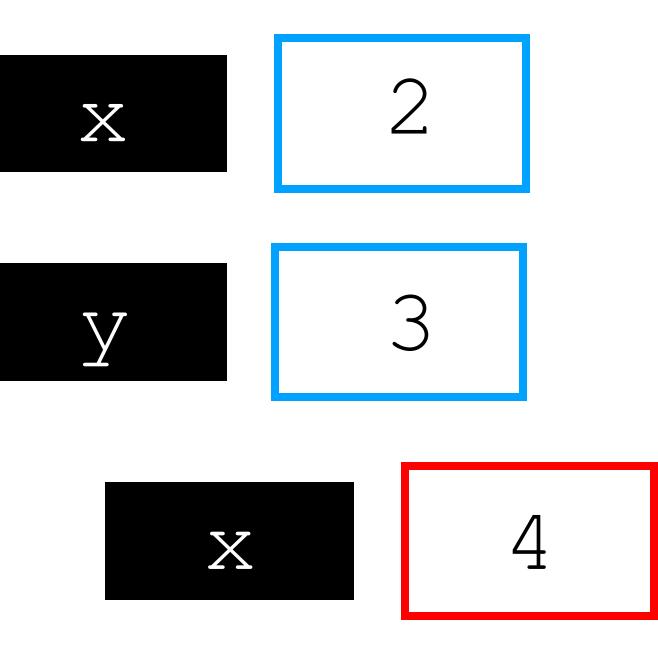
- A. 6
- **B.** 9
- C.7

D. Something else

### **Environments: Examples**

(let ([x 2] [y 3]) (let ([x 4]) (+ x y)))





### When we execute the following, what is the result?

### (let ([x 2] [y 3]) (let ([f (lambda (x) (+ x y))])(f 5)))

- A. 8
- **B**. 7
- C.5

D. Something else

### **DrRacket shows variable bindings**

Mouse over an identifier in DrRacket

(let ([x 2] [y 3])
(let ([f (lambda (x) (+ x y))])
 (f 5)))

(let ([x 2] [y 3]) (let ([f (lambda (x) (+ x y))]) (f 5)))

### **Environment Operations**

Two basic operations on environments:

- 1. Look something up
  - What is the binding of x right now?

- 2. Extend an existing environment with new bindings
  - and the new bindings

## Creates a new environment containing both the existing

## Look Up in Environments Look up the value to which a symbol is bound:

(let ([x 3]) (let ([x 4]) (+ x 5)))

should return 9 since the innermost binding of x is 4

**Extending Environments: Let** Consider (let ([x (+ 3 4)] [y 5] [z (foo 8)]) body)

whatever the result of  $(f \circ 8)$  is, let's say it's 12

should be evaluated in the environment  $E[x \mapsto 7, y \mapsto 5, z \mapsto 12]$ 

- We have three symbols x, y, and z and three values, 7, 5, and
- If E is the environment of the whole let expression, then the body



### Closures

to a *closure* consisting of

- The parameter list (a list of identifiers)
- The body as un-evaluated expressions (often just one expression)
- closure is called

### The expression of (lambda parameters body...) evaluates

- The environment (the mapping of identifiers to values) at the time the lambda expression is evaluated not the time the

### **Environments & Procedure Calls**

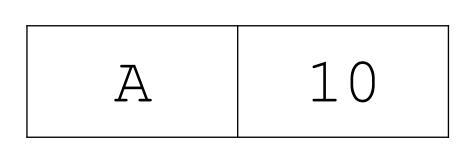
(define A 10) (define add-a (lambda (x) (+ x A)))

Calling the closure extends the closure's environment with its parameters bound to the arguments

(add-a 20)

When called, the closure's body is evaluated with this new environment

### Environment of the closure



Keep it around! Part of what the closure contains!

### Environment of the call

A	10
Х	20



## Even More Let

### A realistic example

Let's write a procedure (split-by pred lst) that splits lst into two lists, the first contains all of the elements that match pred, the second contains all the elements that do not match pred

(split-by even? (range 10)) => '((0 2 4 6 8) (1 3 5 7 9)) (split-by (lambda (x) (< x 3)) (range 5)) =>'((0 1 2) (3 4))





### Recursion

### Often, we're going to want to define a recursive procedure in a let. For example, (define (count-bigger-than-first lst) (let\* ([head (first lst)] [count (λ (lst) (cond [(empty? lst) 0] [(> (first lst) head) (+ 1 (count (rest lst)))] [else (count (rest lst))]))]) (count (rest lst))))

Unfortunately, we can't use count in the definition of count

### **Recursive let** (letrec ([id1 s-exp1] [id2 s-exp2]...) body) All of the s-exps can refer to all of the ids

This is used to make recursive procedures (define (count-bigger-than-first lst) (letrec ([head (first lst)] [count (λ (lst) (cond [(empty? lst) 0] [(> (first lst) head) (+ 1 (count (rest lst)))] [else (count (rest lst))]))])

(count (rest lst))))

### Can't we just always use letrec then?

Nope, a subtle point: the values of the identifiers we're binding can't be used in the bindings

**Invalid** (the value of x is used to define y)

(letrec ([x 1] [y (+ x 1)])y)

Valid (the value of x isn't used to define y, it's only used when y is called)

(letrec ([x 1] [y (lambda () (+ x 1))]) (y))

## Next Up HW2 due at 11:59pm Friday – first commit due tonight